

PLACE AND ROUTE LAYOUT DIAGRAMS

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This memo shows the Comesh block logic placement and routing layout for three functional circuits.

- 4-adder place and route
- 5-adder place and route
- two FSMs in the same block

4-ADDER PLACE AND ROUTE

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FEATURES

- uses a 5x16 rectangular-comesh block
- is carry look-ahead
- is composable
- quick and obvious layout
- likely to be some parity errors, won't effect layout
- page orientation only for convenience
- ordering of cells and empty cells an artifact of convenience
- draft visual only, not intended as a specification document

LEGEND

$gi = ((ai)(bi)) = ai \& bi$

$pi = ai \ bi = ai \vee bi$

$ci = \text{carry}$

$xi = ((ai \ bi)((ai)(bi))) = ai \text{ XOR } bi$

-name: select input inverter for this input

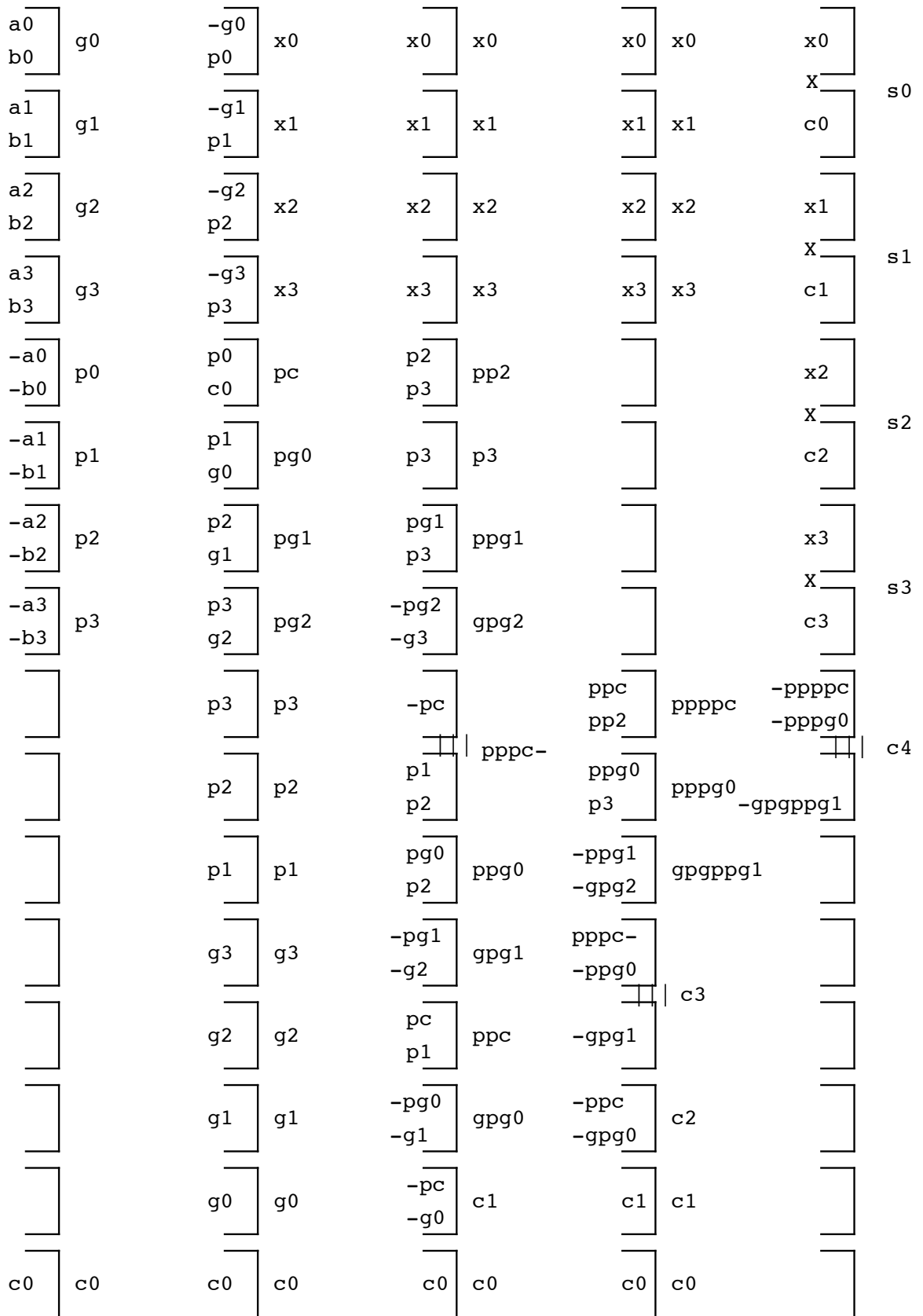
exotic-names: parts of the lookahead logic

X-between-cells: pair of cells used to form XOR (tier 5 only)

|||-between-cells: neighbor 2NAND used to create breadth

name-: only on pppc-, to remind that it is in reversed polarity

same-name-on-each-side-of-cell: pass-through



5-ADDER PLACE AND ROUTE

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PAGE 1: block-5add simply routes the 5bit adder logic through one block, using some neighbor sharing (5 cases) and some pass-through (7 cases). No feed-up. Carry from lookahead logic must go from lower logic block into upper bit block, presumably though superblock interconnect.

PAGE 2: block-5add-w includes the input line mux constraints, giving the following line usage:

```
incoming 11
tier 1-2 20
tier 2-3 18
tier 3-4 18
tier 4-5 18
out       6
```

PAGE 3: block-5add-wp adjusts the polarities of signals, giving this inversion usage:

```
incoming 14
tier 1-2 24
tier 2-3 10
tier 3-4  4
tier 4-5  3
out       1
```

Notation:

```
id      names which hint at lookahead logic
        gi = ai AND bi = ((ai)(bi))
        ni = ai NOR bi = (ai bi)
        xi = ai XOR bi = ((ai bi)((ai)(bi)))
        rest are OR combinations
-id     use inverter
ll      use neighbor sharing
X       xor using neighbor
(id)    output is inverted wrt id-semantics
```

a0	g0	-g0	x0	x0	s0	s0	s0	s0
b0	g1	-n0	x1	x1	s1	s1	s1	s1
a1	g2	-g1	x2	x2	s2	s2	s2	s2
b1	g3	-n1	x3	x3	s3	s3	s3	s3
a2	g4	-g2	x4	x4	s4	s4	s4	s4
b2		-n2						
a3		-g3						
b3		-n3						
a4								
b4								
		c0						
-a0	n0	g0	c1	-g4	x4	gn1g	c2	x4
-b0	n1	n0c	n1g	-n4	n4	n10c	c3	c4
-a1	n2	g0	n2g			gn2g	gn2g	c4
-b1	n3	n1	n3g	g1	gn1g	n21g	n21gn20c	
	n21	g1	n3	n1g	gn1g	n20c	n21gn20c	
-a2	n4	g2	n4g	g2	gn2g	gn3g	gn3gn32g	
-b2	n10c	n2	n10c	n2g	gn2g	n32g	gn3gn32g	
-a3	n20c	g3	n20c	g3	gn3g		c4	
-b3	n21g	n3	n21g	n3g	gn3g	n31g	n31gn30c	
-a4	n32g	n4	n32g	n4g	gn4g	n30c	n31gn30c	
-b4	n43g	g4	n43g	n4	gn4g		gn4gn43g	
	n40c		n40c	n4g	gn4g	n4	gn4gn43g	
	n43g		n43g	n10c	gn4g	n3g	n43g	
-a0	n0c	n1	n0c	n3	n10c	n4	n40c	
-b0	n20c	n0c	n20c	n20c	n10c	n30c	n40c	
	n21g	n21	n21g	n3	n20c	n4	gn4gn43g	
c0	n21g	n0c	n21g	n21g	n20c	n31g	n41g	n42g
	n21g	n21	n21g	n3	n21g	n21g	n41g	n42g
c0	n21g	g0	n21g	n2g	n32g	n4	n41g	
	n21g		n21g	n32g	n32g	n32g	n40c	c5

$\begin{bmatrix} a_0 \\ b_0 \end{bmatrix}$	g_0	$\begin{bmatrix} -g_0 \\ -n_0 \end{bmatrix}$	x_0	$\begin{bmatrix} x_0 \\ x \end{bmatrix}$	s_0	$\begin{bmatrix} s_0 \\ s_1 \end{bmatrix}$	s_0	$\begin{bmatrix} s_0 \\ s_1 \end{bmatrix}$	s_0
$\begin{bmatrix} a_1 \\ b_1 \end{bmatrix}$	g_1	$\begin{bmatrix} -g_1 \\ -n_1 \end{bmatrix}$	x_1	$\begin{bmatrix} x \\ c_0 \end{bmatrix}$	s_0	$\begin{bmatrix} s_1 \\ s_2 \end{bmatrix}$	s_1	$\begin{bmatrix} s_1 \\ s_2 \end{bmatrix}$	s_1
$\begin{bmatrix} a_2 \\ b_2 \end{bmatrix}$	g_2	$\begin{bmatrix} -g_2 \\ -n_2 \end{bmatrix}$	x_2	$\begin{bmatrix} x_1 \\ x \end{bmatrix}$	s_1	$\begin{bmatrix} n_4 \\ n_{32g} \end{bmatrix}$	n_{42g}	$\begin{bmatrix} x_2 \\ x \end{bmatrix}$	s_2
$\begin{bmatrix} a_3 \\ b_3 \end{bmatrix}$	g_3	$\begin{bmatrix} -g_3 \\ -n_3 \end{bmatrix}$	x_3	$\begin{bmatrix} x \\ c_1 \end{bmatrix}$	s_1	$\begin{bmatrix} n_4 \\ n_{30c} \end{bmatrix}$	n_{40c}	$\begin{bmatrix} c_2 \\ c_3 \end{bmatrix}$	s_3
$\begin{bmatrix} a_4 \\ b_4 \end{bmatrix}$	g_4	$\begin{bmatrix} c_0 \\ n_0c \end{bmatrix}$	c_0	$\begin{bmatrix} n_3 \\ n_{21g} \end{bmatrix}$	n_{31g}	$\begin{bmatrix} x_4 \\ x_3 \end{bmatrix}$	x_4	$\begin{bmatrix} x_3 \\ c_3 \end{bmatrix}$	s_3
$\begin{bmatrix} -a_0 \\ -b_0 \end{bmatrix}$	n_0	$\begin{bmatrix} g_0 \\ n_2 \end{bmatrix}$	c_1	$\begin{bmatrix} x_2 \\ x_3 \end{bmatrix}$	x_2	$\begin{bmatrix} gn_1g \\ n_{10c} \end{bmatrix}$	c_2	$\begin{bmatrix} x_4 \\ c_4 \end{bmatrix}$	s_4
$\begin{bmatrix} -a_1 \\ -b_1 \end{bmatrix}$	n_1	$\begin{bmatrix} n_2g \\ g_1 \end{bmatrix}$	n_2	$\begin{bmatrix} -g_4 \\ -n_4 \end{bmatrix}$	x_4	$\begin{bmatrix} gn_2g \\ n_{21g} \end{bmatrix}$	gn_2g	$\begin{bmatrix} c_3 \\ n_{21gn_{20c}} \end{bmatrix}$	
$\begin{bmatrix} -a_2 \\ -b_2 \end{bmatrix}$	n_2	$\begin{bmatrix} g_2 \\ n_3 \end{bmatrix}$	n_3	$\begin{bmatrix} g_1 \\ n_1g \end{bmatrix}$	gn_1g	$\begin{bmatrix} n_{21g} \\ n_{20c} \end{bmatrix}$	$n_{21gn_{20c}}$		
$\begin{bmatrix} -a_3 \\ -b_3 \end{bmatrix}$	n_3	$\begin{bmatrix} g_3 \\ n_4 \end{bmatrix}$	n_4	$\begin{bmatrix} g_2 \\ n_2g \end{bmatrix}$	gn_2g	$\begin{bmatrix} n_{31g} \\ n_{30c} \end{bmatrix}$	$n_{31gn_{30c}}$		
$\begin{bmatrix} -a_4 \\ -b_4 \end{bmatrix}$	n_4	$\begin{bmatrix} g_4 \\ g_4 \end{bmatrix}$	g_4	$\begin{bmatrix} g_3 \\ n_3g \end{bmatrix}$	gn_3g	$\begin{bmatrix} gn_3g \\ n_{32g} \end{bmatrix}$	gn_3gn_{32g}		
$\begin{bmatrix} -a_3 \\ -b_3 \end{bmatrix}$	n_3	$\begin{bmatrix} n_1 \\ n_0c \end{bmatrix}$	n_{10c}	$\begin{bmatrix} g_4 \\ n_4g \end{bmatrix}$	gn_4g	$\begin{bmatrix} n_4 \\ n_{31g} \end{bmatrix}$	n_{41g}		
$\begin{bmatrix} -a_0 \\ -b_0 \end{bmatrix}$	n_0c	$\begin{bmatrix} n_3 \\ n_{21} \end{bmatrix}$	n_3	$\begin{bmatrix} n_{10c} \\ n_4 \end{bmatrix}$	n_{10c}	$\begin{bmatrix} n_4 \\ n_{3g} \end{bmatrix}$	n_{43g}		
$\begin{bmatrix} c_0 \\ c_0 \end{bmatrix}$	n_0c	$\begin{bmatrix} n_{21} \\ n_0c \end{bmatrix}$	n_{20c}	$\begin{bmatrix} n_4 \\ n_4 \end{bmatrix}$	n_4	$\begin{bmatrix} gn_4g \\ gn_4g \end{bmatrix}$	gn_4gn_{43g}		
$\begin{bmatrix} a_0 \\ b_0 \end{bmatrix}$	g_0	$\begin{bmatrix} n_{21} \\ g_0 \end{bmatrix}$	n_{21g}	$\begin{bmatrix} n_3 \\ n_{20c} \end{bmatrix}$	n_{30c}		gn_4gn_{43g}		
$\begin{bmatrix} c_0 \\ c_0 \end{bmatrix}$	c_0	$\begin{bmatrix} g_0 \\ n_1 \end{bmatrix}$	n_1g	$\begin{bmatrix} n_3 \\ n_2g \end{bmatrix}$	n_{32g}	$\begin{bmatrix} x_2 \\ x_2 \end{bmatrix}$	n_{42g}	$\begin{bmatrix} n_{41g} \\ n_{40c} \end{bmatrix}$	c_5

$$\begin{array}{l}
\begin{array}{c} a_0 \\ b_0 \end{array} \begin{array}{c} g_0 \\ \\ \end{array} \begin{array}{c} -g_0 \\ -n_0 \end{array} \begin{array}{c} x_0 \\ \\ \end{array} \begin{array}{c} x_0 \\ \\ \end{array} \begin{array}{c} s_0 \\ \\ \end{array} \begin{array}{c} s_0 \\ \\ \end{array} \begin{array}{c} s_0 \\ \\ \end{array} \begin{array}{c} s_0 \\ \\ \end{array} \\
\begin{array}{c} a_1 \\ b_1 \end{array} \begin{array}{c} g_1 \\ \\ \end{array} \begin{array}{c} -g_1 \\ -n_1 \end{array} \begin{array}{c} g_1 \\ x_1 \end{array} \begin{array}{c} x \\ c_0 \end{array} \begin{array}{c} s_0 \\ \\ \end{array} \begin{array}{c} s_1 \\ \\ \end{array} \begin{array}{c} s_1 \\ \\ \end{array} \begin{array}{c} s_1 \\ \\ \end{array} \begin{array}{c} s_1 \\ \\ \end{array} \\
\begin{array}{c} a_2 \\ b_2 \end{array} \begin{array}{c} g_2 \\ \\ \end{array} \begin{array}{c} -g_2 \\ -n_2 \end{array} \begin{array}{c} (g_2) \\ x_2 \end{array} \begin{array}{c} x_1 \\ \\ \end{array} \begin{array}{c} (n_4) \\ (n_32g) \end{array} \begin{array}{c} (n_42g) \\ \\ \end{array} \begin{array}{c} x_2 \\ \\ \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_2 \\ \\ \end{array} \\
\begin{array}{c} a_3 \\ b_3 \end{array} \begin{array}{c} g_3 \\ \\ \end{array} \begin{array}{c} -g_3 \\ -n_3 \end{array} \begin{array}{c} (g_3) \\ x_3 \end{array} \begin{array}{c} x \\ -(c_1) \end{array} \begin{array}{c} s_1 \\ \\ \end{array} \begin{array}{c} -n_4 \\ -n_30c \end{array} \begin{array}{c} (n_40c) \\ -(c_2) \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_2 \\ \\ \end{array} \\
\begin{array}{c} a_4 \\ b_4 \end{array} \begin{array}{c} g_4 \\ \\ \end{array} \begin{array}{c} c_0 \\ \\ \end{array} \begin{array}{c} c_0 \\ \\ \end{array} \begin{array}{c} (n_3) \\ (n_21g) \end{array} \begin{array}{c} (n_31g) \\ (n_21g) \end{array} \begin{array}{c} x_4 \\ x_4 \end{array} \begin{array}{c} x_4 \\ x_4 \end{array} \begin{array}{c} x_3 \\ \\ \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_3 \\ \\ \end{array} \\
\begin{array}{c} \\ \\ \end{array} \begin{array}{c} \\ \\ \end{array} \begin{array}{c} -g_0 \\ -n_0c \end{array} \begin{array}{c} (c_1) \\ \\ \end{array} \begin{array}{c} x_2 \\ x_2 \end{array} \begin{array}{c} x_2 \\ x_2 \end{array} \begin{array}{c} x_3 \\ x_3 \end{array} \begin{array}{c} x_3 \\ x_3 \end{array} \begin{array}{c} -(c_3) \\ \\ \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_3 \\ \\ \end{array} \\
\begin{array}{c} -a_0 \\ -b_0 \end{array} \begin{array}{c} n_0 \\ \\ \end{array} \begin{array}{c} -n_2 \\ \\ \end{array} \begin{array}{c} \\ \\ \end{array} \begin{array}{c} x_3 \\ x_3 \end{array} \begin{array}{c} x_3 \\ x_3 \end{array} \begin{array}{c} (gn_1g) \\ -n_10c \end{array} \begin{array}{c} (c_2) \\ \\ \end{array} \begin{array}{c} x_4 \\ \\ \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_4 \\ \\ \end{array} \\
\begin{array}{c} -a_1 \\ -b_1 \end{array} \begin{array}{c} n_1 \\ \\ \end{array} \begin{array}{c} \parallel \\ \\ \end{array} \begin{array}{c} (n_2g) \\ \\ \end{array} \begin{array}{c} -g_4 \\ (n_4) \end{array} \begin{array}{c} x_4 \\ (n_4) \end{array} \begin{array}{c} (gn_2g) \\ (gn_2g) \end{array} \begin{array}{c} (gn_2g) \\ -(c_4) \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_4 \\ \\ \end{array} \\
\begin{array}{c} -a_2 \\ -b_2 \end{array} \begin{array}{c} n_2 \\ \\ \end{array} \begin{array}{c} \parallel \\ \\ \end{array} \begin{array}{c} (n_2g) \\ \\ \end{array} \begin{array}{c} -g_2 \\ -n_3 \end{array} \begin{array}{c} (n_3g) \\ (n_3) \end{array} \begin{array}{c} -g_1 \\ -(n_1g) \end{array} \begin{array}{c} (gn_1g) \\ (n_21g) \end{array} \begin{array}{c} (n_21g) \\ -n_20c \end{array} \begin{array}{c} (c_3) \\ (n_21gn_20c) \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_4 \\ \\ \end{array} \\
\begin{array}{c} -a_3 \\ -b_3 \end{array} \begin{array}{c} n_3 \\ \\ \end{array} \begin{array}{c} -g_3 \\ -n_4 \end{array} \begin{array}{c} (n_4g) \\ (n_4) \end{array} \begin{array}{c} (g_2) \\ -(n_2g) \end{array} \begin{array}{c} (gn_2g) \\ (n_31g) \end{array} \begin{array}{c} (n_31g) \\ (n_30c) \end{array} \begin{array}{c} (n_31gn_30c) \\ \\ \end{array} \begin{array}{c} (c_4) \\ \\ \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_4 \\ \\ \end{array} \\
\begin{array}{c} -a_4 \\ -b_4 \end{array} \begin{array}{c} n_4 \\ \\ \end{array} \begin{array}{c} g_4 \\ \\ \end{array} \begin{array}{c} g_4 \\ \\ \end{array} \begin{array}{c} (g_3) \\ -(n_3g) \end{array} \begin{array}{c} (gn_3g) \\ n_3g \end{array} \begin{array}{c} (gn_3g) \\ (n_32g) \end{array} \begin{array}{c} (gn_3gn_32g) \\ \\ \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_4 \\ \\ \end{array} \\
\begin{array}{c} -a_3 \\ -b_3 \end{array} \begin{array}{c} n_3 \\ \\ \end{array} \begin{array}{c} -n_1 \\ -n_0c \end{array} \begin{array}{c} (n_10c) \\ -(n_4g) \end{array} \begin{array}{c} -g_4 \\ (gn_4g) \end{array} \begin{array}{c} (n_4) \\ (n_31g) \end{array} \begin{array}{c} (n_41g) \\ \\ \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_4 \\ \\ \end{array} \\
\begin{array}{c} -a_0 \\ -b_0 \end{array} \begin{array}{c} n_0c \\ \\ \end{array} \begin{array}{c} n_3 \\ \\ \end{array} \begin{array}{c} n_3 \\ n_10c \end{array} \begin{array}{c} n_10c \\ n_10c \end{array} \begin{array}{c} (n_4) \\ (n_3g) \end{array} \begin{array}{c} (n_43g) \\ \\ \end{array} \begin{array}{c} \parallel \\ (gn_4gn_43g) \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_4 \\ \\ \end{array} \\
\begin{array}{c} c_0 \\ \\ \end{array} \begin{array}{c} -n_21 \\ -n_0c \end{array} \begin{array}{c} (n_20c) \\ n_4 \end{array} \begin{array}{c} n_4 \\ n_4 \end{array} \begin{array}{c} (gn_4g) \\ (gn_4g) \end{array} \begin{array}{c} (gn_4g) \\ \\ \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_4 \\ \\ \end{array} \\
\begin{array}{c} a_0 \\ b_0 \end{array} \begin{array}{c} g_0 \\ \\ \end{array} \begin{array}{c} -n_21 \\ -g_0 \end{array} \begin{array}{c} (n_21g) \\ -(n_20c) \end{array} \begin{array}{c} (n_3) \\ n_20c \end{array} \begin{array}{c} (n_30c) \\ n_20c \end{array} \begin{array}{c} (gn_4gn_43g) \\ (n_42g) \end{array} \begin{array}{c} x \\ \\ \end{array} \begin{array}{c} s_4 \\ \\ \end{array} \\
\begin{array}{c} c_0 \\ \\ \end{array} \begin{array}{c} c_0 \\ \\ \end{array} \begin{array}{c} -g_0 \\ -n_1 \end{array} \begin{array}{c} (n_1g) \\ (n_2g) \end{array} \begin{array}{c} -n_3 \\ (n_32g) \end{array} \begin{array}{c} (n_32g) \\ x_2 \end{array} \begin{array}{c} x_2 \\ x_2 \end{array} \begin{array}{c} (n_41g) \\ (n_40c) \end{array} \begin{array}{c} \parallel \\ (c_5) \end{array}
\end{array}$$

TWO FSMs IN THE SAME BLOCK

William Bricken

May 2002

Two small FSMs (MCNC dk27 and s27) sharing the same input in the same block.

Not intended to illustrate dense packing of block resources.

Feedback from registers is illustrated. 6 registers are being used, feed-back to several tiers.

Line usage:

incoming	14*
tier 1-2	15
tier 2-3	16
tier 3-4	18
tier 4-5	11
out	3

Some inputs use too many lines to meet input mux constraint.

Several signals are passed through to lower tiers.

Registers are connected to a long line, not only to their bit slice.

Notation:

id	names are integers
!id	register
-id	use inverter
	use neighbor sharing
X	xor using neighbor
<>	mux using neighbor
(id)	output is inverted wrt id-semantics

